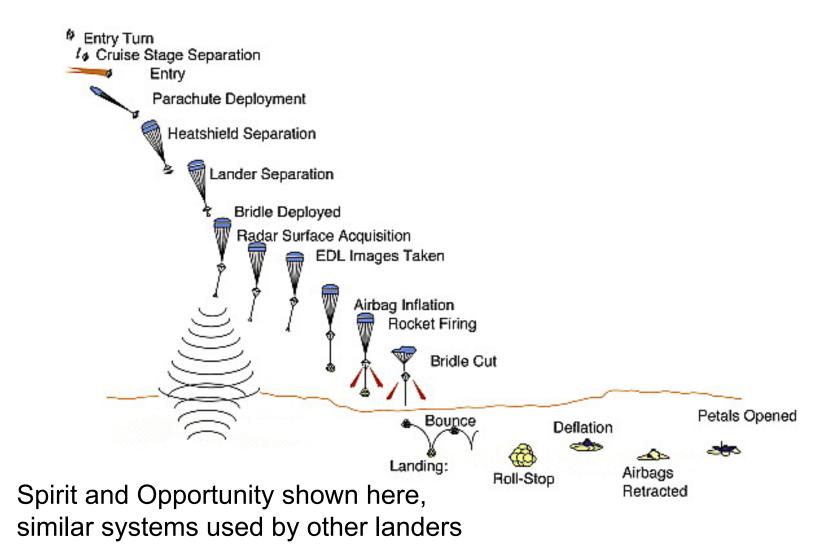
#### A simple method for supporting future landers by predicting surface pressure on Mars

**Paul Withers** 

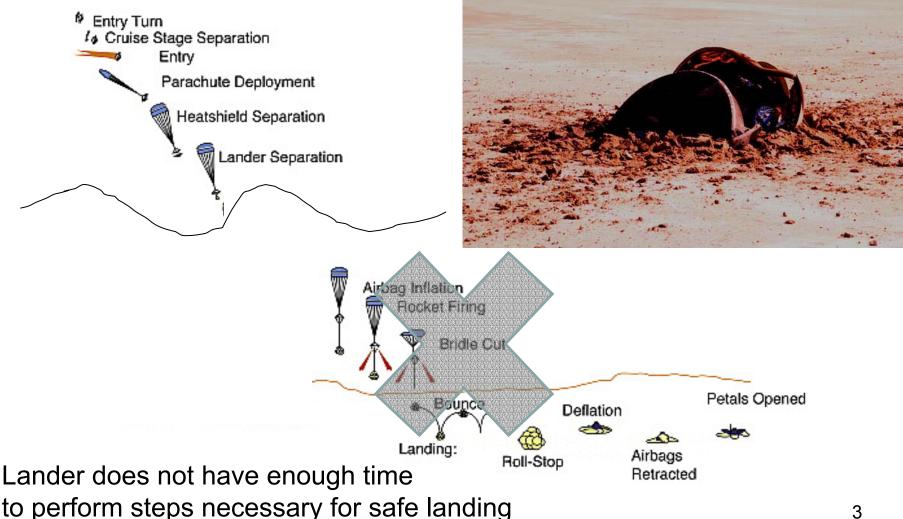
Boston University 725 Commonwealth Avenue, Boston MA 02215, USA (withers@bu.edu)

PS08-A021 Thursday 2009.08.13 11:00-12:30 AOGS Meeting, Singapore

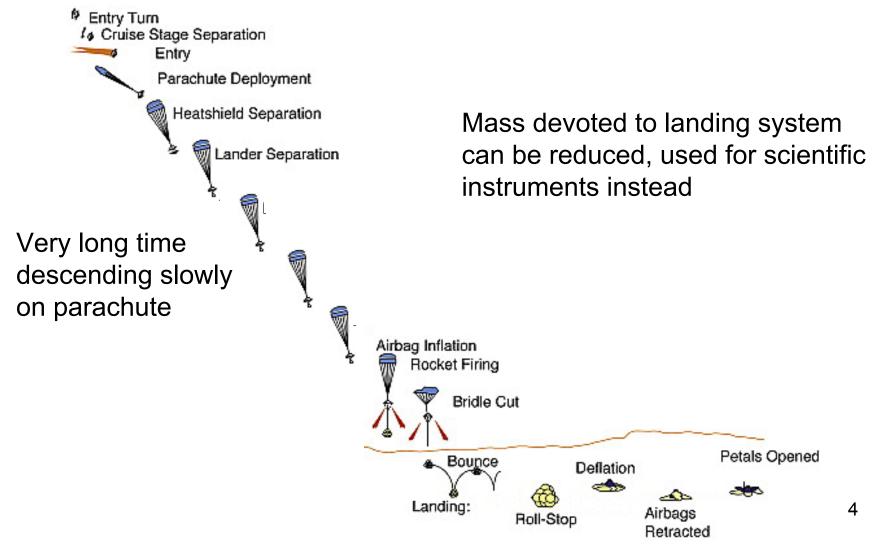
### How to land on Mars



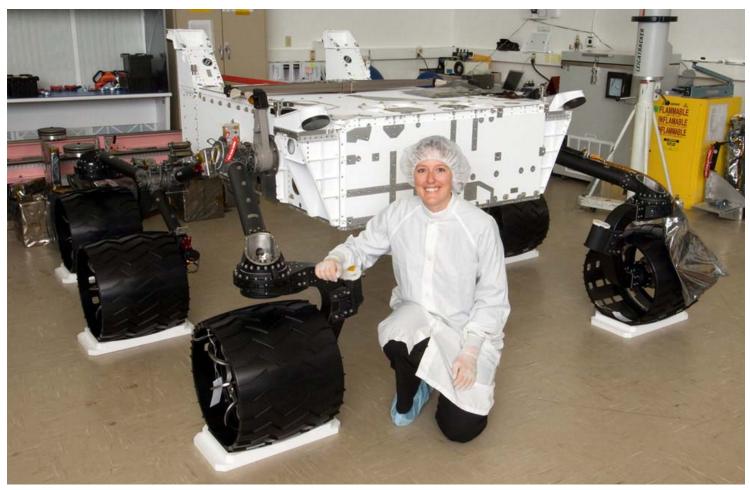
# If actual surface pressure is much smaller than estimated



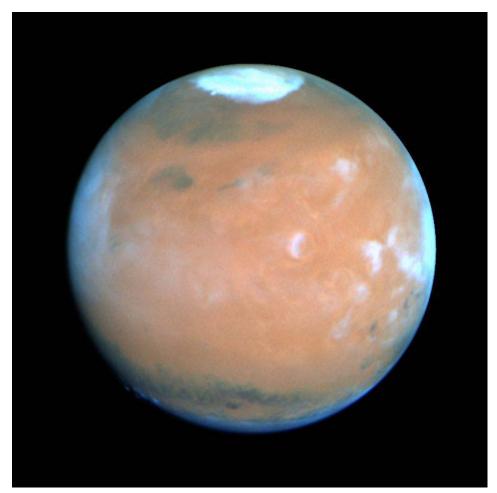
# If actual surface pressure is much larger than estimated



## Mars Science Laboratory (MSL, 2011 launch)

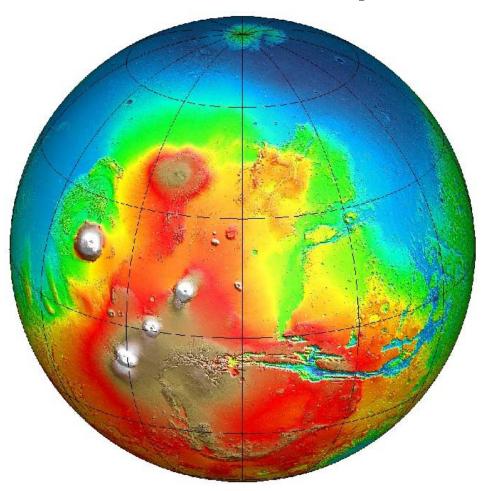


# Surface pressure varies with season



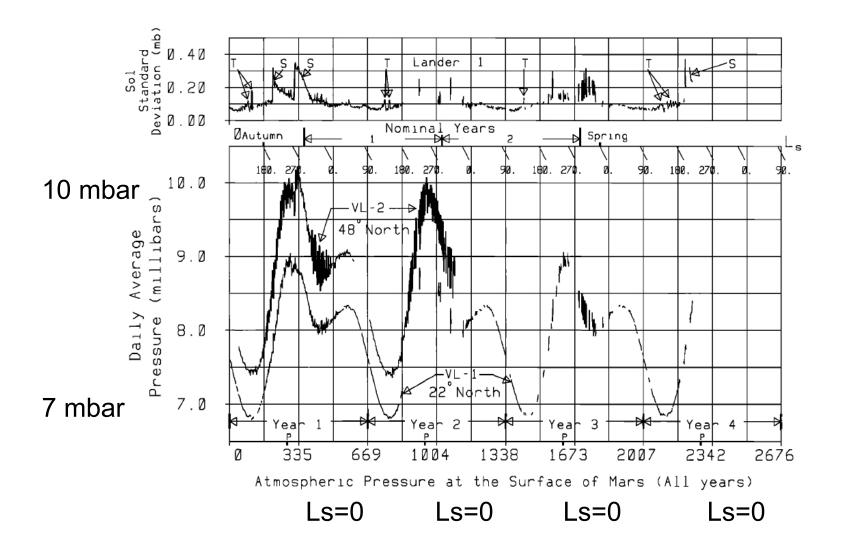
Atmosphere of CO<sub>2</sub> freezes onto polar cap in winter hemisphere

# Surface pressure varies with position



Altitude of surface varies by three atmospheric scale heights or >30 km

#### Viking surface pressure data



# Estimating surface pressure for MSL's landing

- Other scientists are developing very sophisticated climate models
- I focus on a simple expression for Ps derived from data
  - Transparent
  - Easy to use
  - Quantify accuracy easily
  - Reality-check for more complex predictions
- Ls=120-180, z<+1 km, 45S-45N

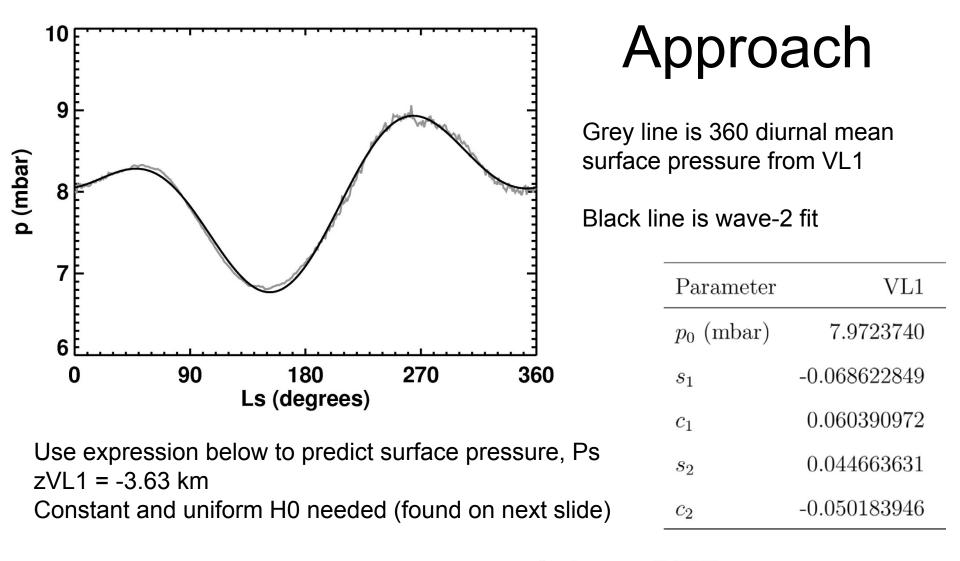
## **Available Datasets**

- LANDERS
- Viking Lander 1 (VL1)
  - Multiple years, coarse digitization, 22N
- Viking Lander 2 (VL2)
  - Almost one year, coarse digitization, 48N
- Mars Pathfinder (MPF)
  - Ls=142-188, same elevation as VL1, systematic error of about 0.1 mbar, 19N
- Phoenix (PHX)
  - Ls=76-151, 68N, large and precise dataset
  - Data from Ls=120 to 151 not yet incorporated into analysis

- <u>RADIO OCCULTATIONS</u>
- Mariner 9
  - Apparent inconsistencies of 10%
- Viking Orbiters 1/2 (VO1/2)
  Barely 20 pressures reported
- Mars Global Surveyor (MGS)
  - 21243 profiles, including 297 at Ls=120-180, z<+1 km, latitude=45S to 45N
  - Extrapolate p(r) to MOLA surface and assign MOLA altitude
- Mars Express (MEX)
  - 484 profiles, only 5 at Ls=120-180, z<+1 km, latitude=45S to 45N

Most useful datasets are: VL1 for seasonal cycle, MGS for validation and testing,

Goal is: Simple expression for DIURNAL MEAN Ps as function of season and altitude.



$$p_s = p_{0,VL1} \exp\left(-\left(z - z_{VL1}\right)/H_0\right) \times$$
 Eqn 2

 $(1 + s_{1,VL1}\sin(1L_s) + c_{1,VL1}\cos(1L_s) + s_{2,VL1}\sin(2L_s) + c_{2,VL1}\cos(2L_s))$ 

Optimize with Delta metric, where Delta = (p-pred – p-meas) / p-meas

11

#### Finding H0 from MGS

- Quickly find that H0<10 km and H0>12 km have problems at low and high altitudes
- MGS measurements at z<+1 km and 45S to 45N divide neatly into seven Ls blocks

	S. D. of $\Delta$	$\overline{\Delta}$	$H_0 \ (\mathrm{km})$	$\overline{z}$ (km)	Ν	$L_s$ range
	1.9E-02	-2.2E-04	10.0	-2.8	127	175°–200°
	1.6E-02	3.7E-03	10.5			
Optimal	1.6E-02	7.3E-03	11.0			
-	1.8E-02	1.1E-02	11.5			
scale	2.1E-02	1.4E-02	12.0			
height is:	4.4E-02	4.8E-02	10.0	-1.0	306	255°–300°
	3.7E-02	6.1E-02	10.5			
H0 = 11 k	3.2E-02	7.3E-02	11.0			
	2.9E-02	8.3E-02	11.5			
Equivalen	2.7E-02	9.4E-02	12.0			
to T=215 I	2.9E-02	2.6E-02	10.0	-1.3	479	300°-340°
which is	2.3E-02	3.8E-02	10.5			
reasonabl	2.0E-02	4.8E-02	11.0			
	2.0E-02	5.8E-02	11.5			
12	2.3E-02	6.7E-02	12.0			

$L_s$ range	Ν	$\overline{z}$ (km)	$H_0 \ (\mathrm{km})$	$\overline{\Delta}$	S. D. of $\Delta$
$340^\circ – 20^\circ$	293	-1.3	10.0	-2.1E-02	3.2E-02
			10.5	-9.9E-03	2.5 E-02
			11.0	1.5E-04	2.3E-02
			11.5	9.5E-03	2.6E-02
			12.0	1.8E-02	3.2E-02
$20^{\circ}-65^{\circ}$	824	-2.9	10.0	-4.1E-03	1.5E-02
			10.5	-8.5E-04	1.0E-02
			11.0	2.2E-03	1.0E-02
			11.5	5.1E-03	1.4E-02
			12.0	7.7E-03	1.9E-02
$65^{\circ}-120^{\circ}$	740	-2.2	10.0	-1.4E-02	1.9E-02
			10.5	-7.2E-03	1.5E-02
			11.0	-1.1E-03	1.4E-02
			11.5	4.6E-03	1.6E-02
			12.0	9.9E-03	1.9E-02
$120^{\circ}-175^{\circ}$	297	-1.7	10.0	-3.4E-02	2.6E-02
			10.5	-2.5E-02	2.1E-02
			11.0	-1.7E-02	1.8E-02
			11.5	-9.7E-03	1.7E-02
			12.0	-2.9E-03	1.8E-02

### **Accuracy of Predictions**

Mission	$\overline{\Delta}$	S. D. of $\Delta$	$\overline{\Delta}$	S. D. of $\Delta$
	(all $L_s$ )	(all $L_s$ )	$(L_s = 120^{\circ} - 180^{\circ})$	$(L_s = 120^{\circ} - 180^{\circ})$
VL1	2.5E-3%	0.6%	-0.4%	0.6%
VL2	6.7E-3%	1.1%	-0.4%	0.6%
MPF	2.2%	0.2%	2.2%	0.2%
PHX	-0.2%	3.0%		
MGS	1.4%	3.2%	-1.7%	1.8%
MEX	0.2%	3.3%	-7.1%	7.0%

Expect 3% accuracy for MSL landing with 1-sigma confidence level

Overbar = Mean

S. D. = Standard deviation

Only data from z<+1 km and 45S to 45N used for orbital datasets

## Potential Applications

- First-order surface pressure estimates for landing site selection
- Reality-check on predictions from more complex, physics-based models
- Total atmospheric mass from Eqn 1 is about 10 p<sub>0</sub>R<sup>2</sup> f(Ls) / g. Annual mean value is 2.4E16 kg and difference between maximum and minimum values is 6.6E15 kg, consistent with previous results.
- Correct orbital gamma ray and neutron spectrometer for atmospheric absorption effects
- Absolute altitude scales for T(p) profiles measured from orbit, such as MGS TES or Mariner 9 IRIS profiles
- Theoretical simulations of dust lifting and aeolian modification of surface features, the thermodynamic stability of near-surface liquids, and the surface radiation environment 14

### Conclusions

- A simple expression with 7 free parameters provides surprisingly accurate predictions for surface pressure
- Expected accuracy of prediction for MSL landing is 3% (1-sigma confidence level)
- Predictions are least accurate at Ls=240 to 360 when interannual variability (large dust storms) is greatest
- There are many potential applications for accurate surface pressure predictions