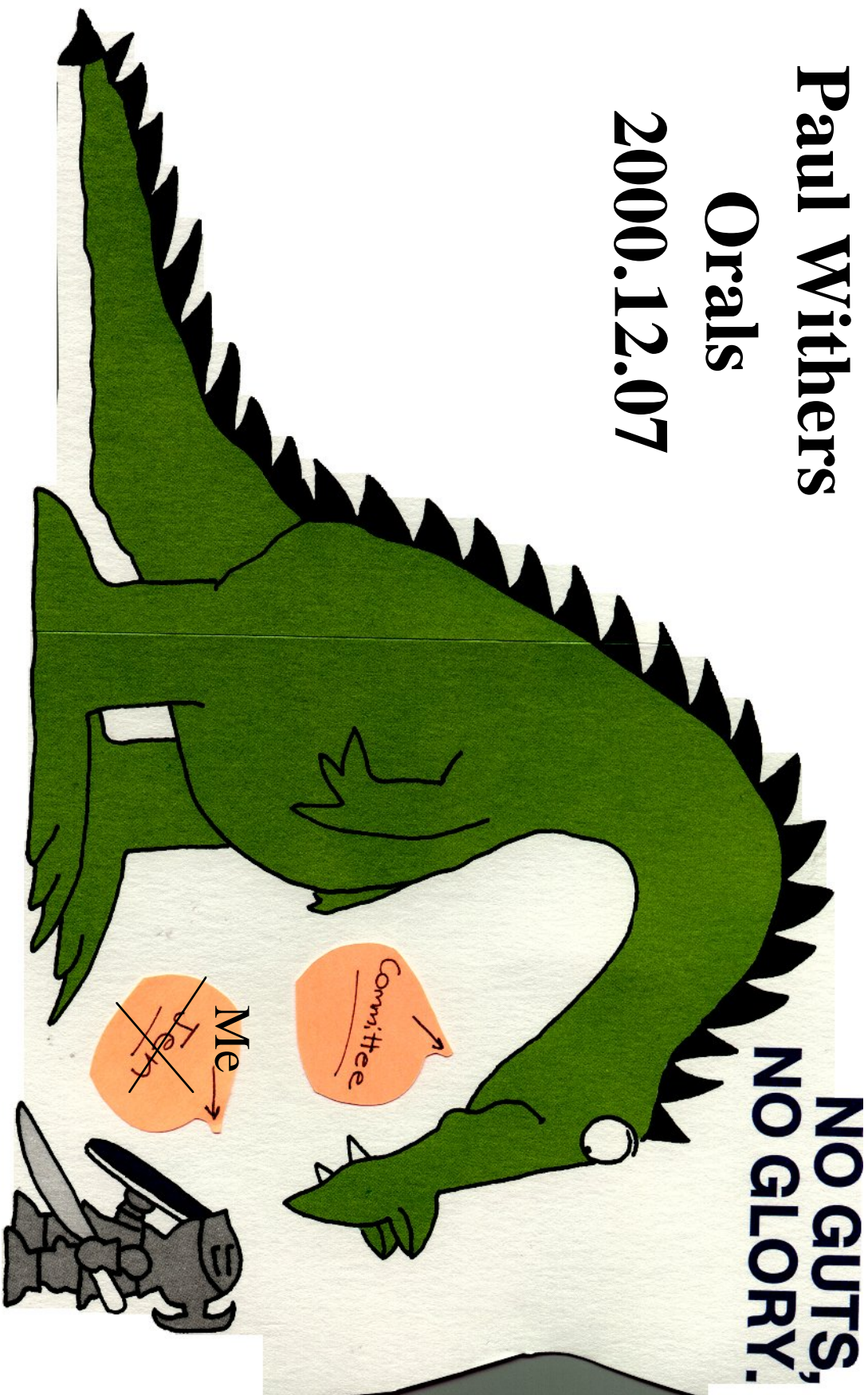


Paul Withers Orals

2000.12.07



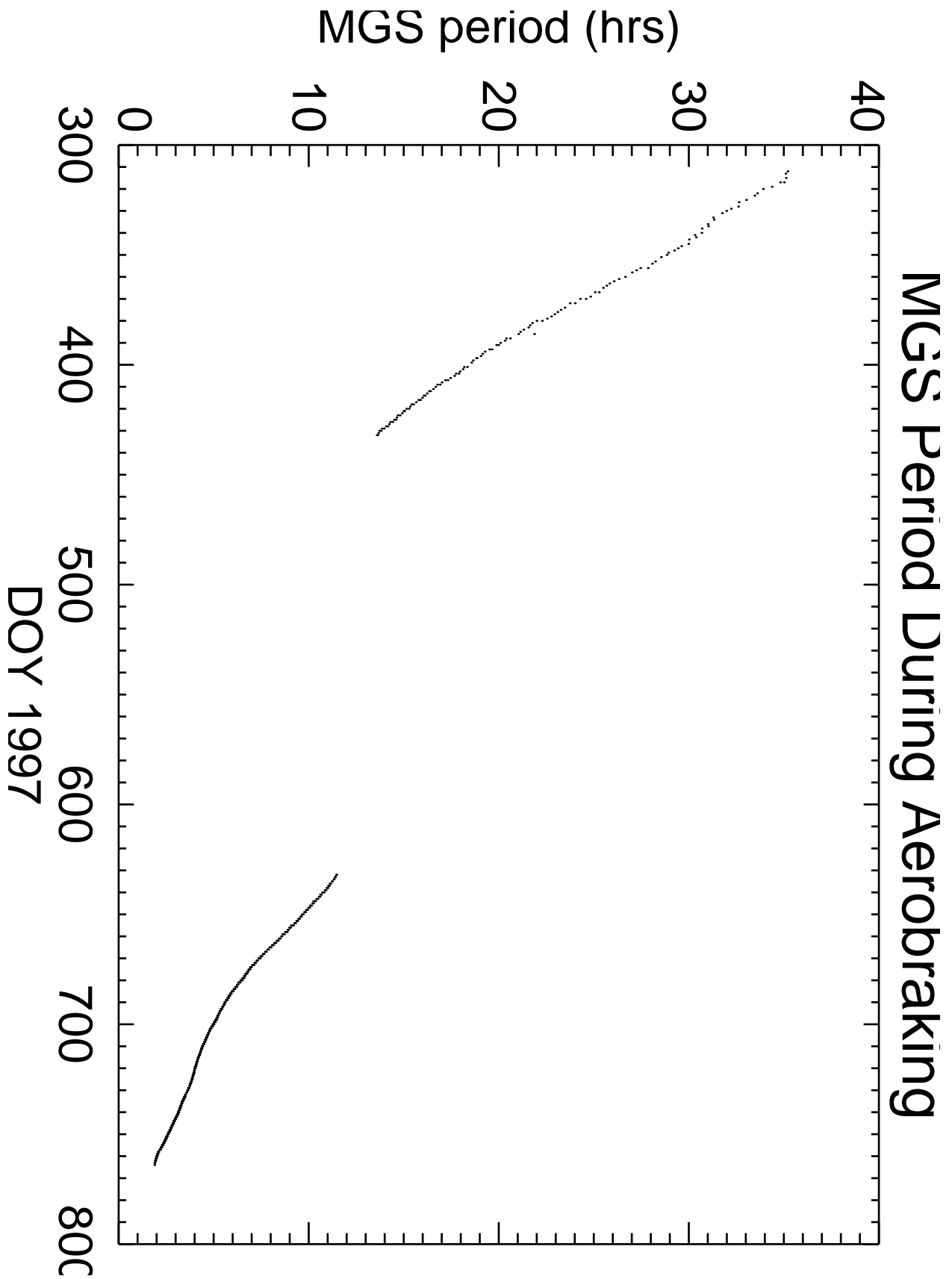
Classes

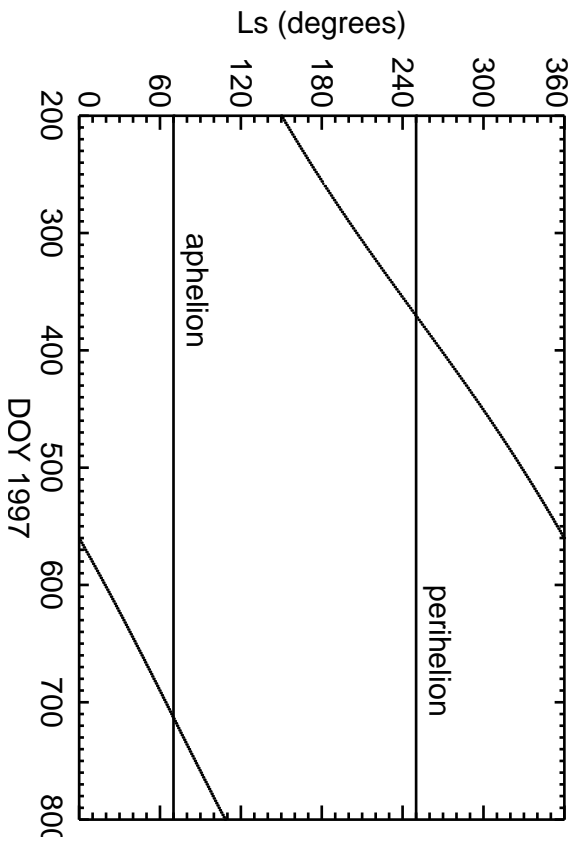
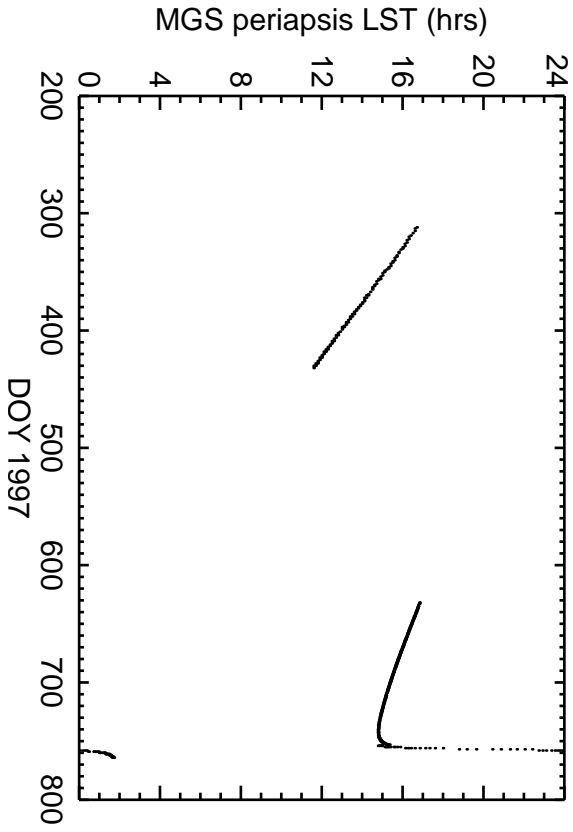
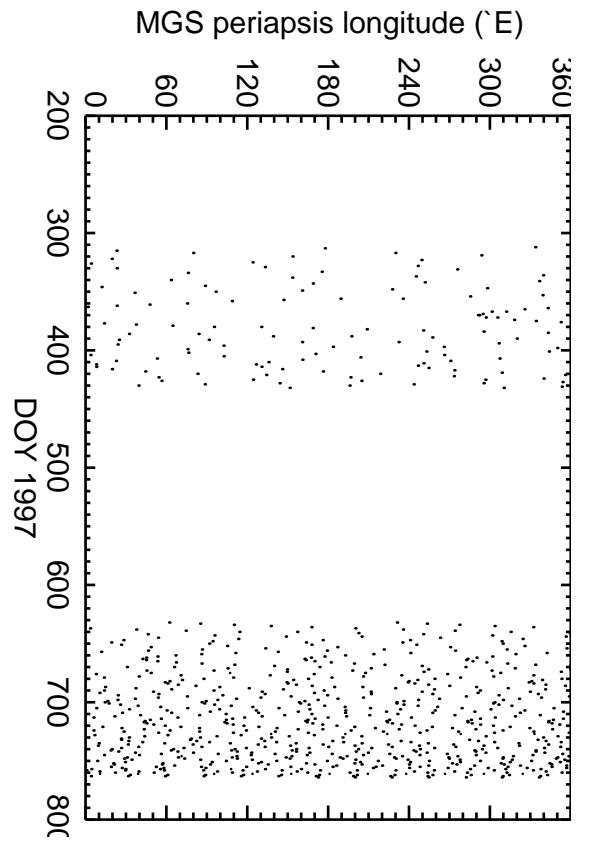
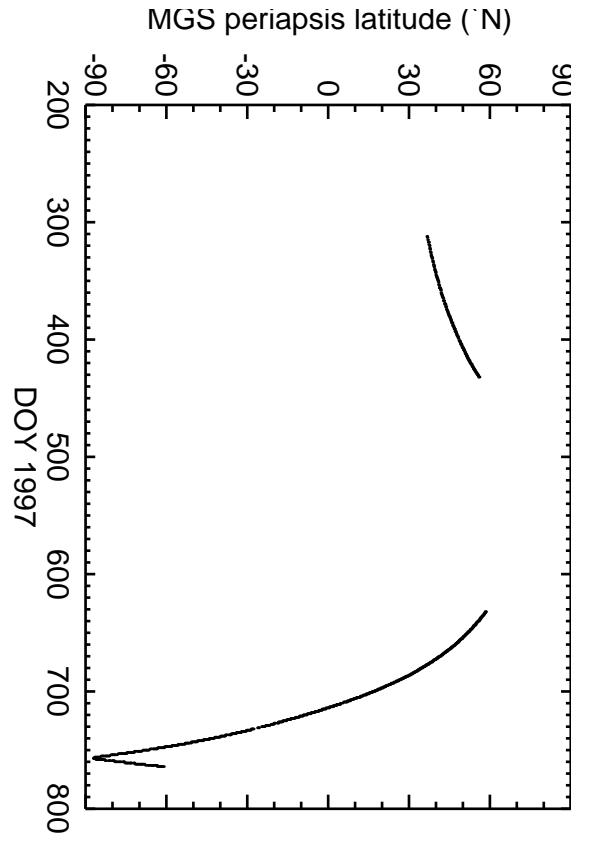
- Atmospheres, Hunten
 - Chemistry, Lewis
 - Chemistry, Drake
 - Surfaces, Melosh
 - Geophysics, Melosh
 - Physics, Hubbard
 - Physics, Jokipii
 - Terrestrial Planets, Drake and Melosh
 - Remote Sensing, McEwen
 - Thermodynamics, Ganguly
-
- Meteorites, Boynton
 - Volcanology, Kring
 - Outer Planets, Hubbard

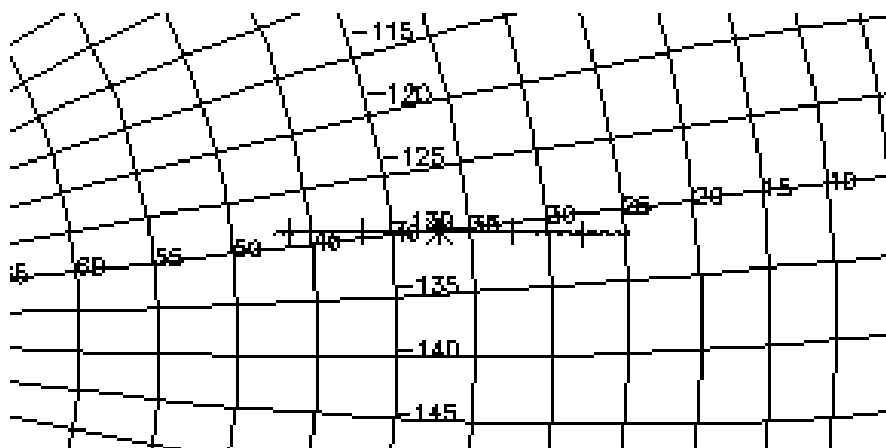
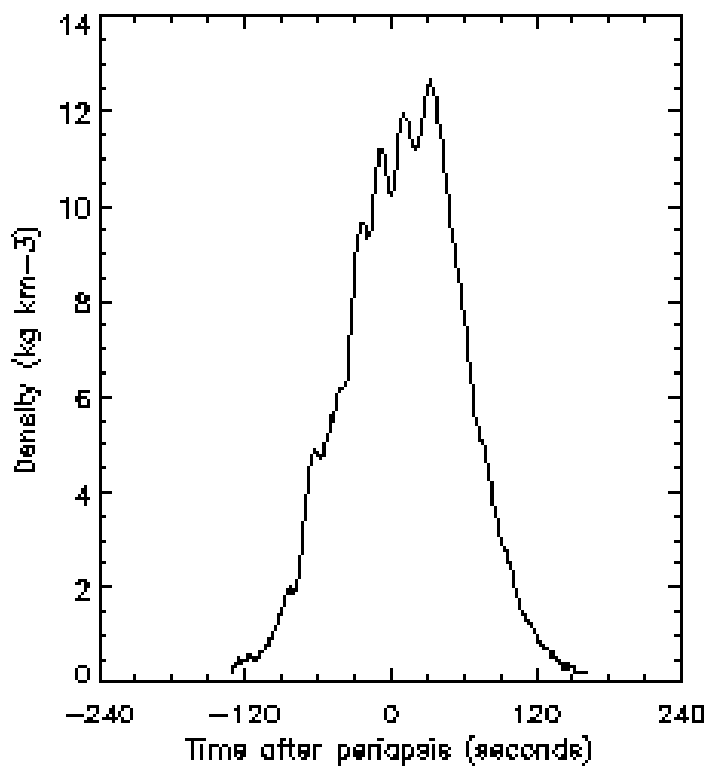
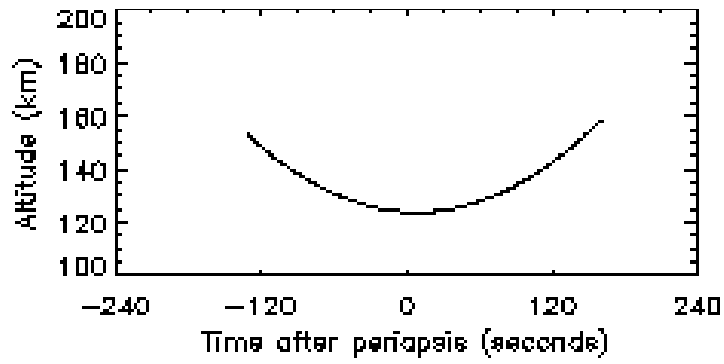
Research

- Martian upper atmosphere (main)
- Recent lunar impact (backup)
- Ridges on Mars - summer with MOLA
- Simple climate models - Ralph's entropy ideas

- 1 conference talk, 2 conference posters
- Recent lunar impact paper about to be accepted by Meteoritics
- Coauthor on a few papers currently under review or in press
- Coauthor on a few conference presentations







Accelerometer

$$\mathbf{a}_{\text{meas}} = \mathbf{a}_{\text{bias}} + \mathbf{a}_{\text{aero}} + \mathbf{a}_{\text{grav}} + \mathbf{a}_{\text{ACS}} + \omega \times (\omega \times \mathbf{r}) + \dot{\omega} \times \mathbf{r} + \mathbf{a}_{\text{panel}}$$

\mathbf{a}_{meas} = instrument output

\mathbf{a}_{bias} = instrument bias

\mathbf{a}_{aero} = aerodynamic drag forces

\mathbf{a}_{grav} = gravitational gradient between instrument and spacecraft centre of mass

\mathbf{a}_{ACS} = Attitude Control System, thrusters

$\omega \times (\omega \times \mathbf{r}) + \dot{\omega} \times \mathbf{r}$ = angular motion of

instrument about centre of mass

$\mathbf{a}_{\text{panel}}$ = translation of instrument due to solar panel vibration

Results of the Mars Pathfinder atmospheric structure investigation

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Atmospheric density ρ is related to the aerodynamic deceleration of a spacecraft through the aerodynamic drag equation:

$$\rho = \frac{2m a_v}{C_D A V_R^2} \quad (1)$$

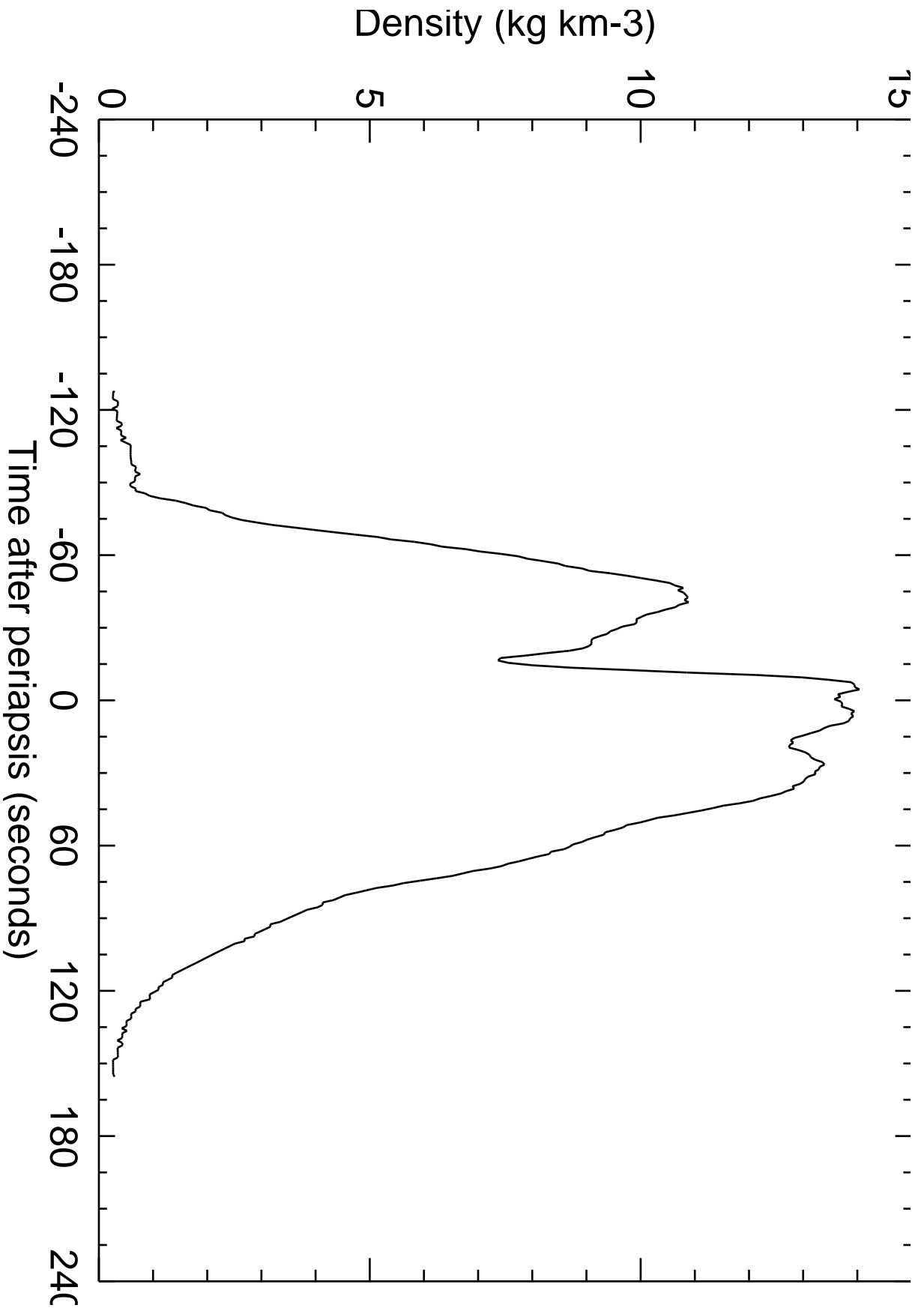
Atmospheric pressure p is then derived from the density by integrating the equation of hydrostatic equilibrium, and the atmospheric temperature T is determined from the ideal gas law with knowledge of the mean molecular weight μ as in the following equations:

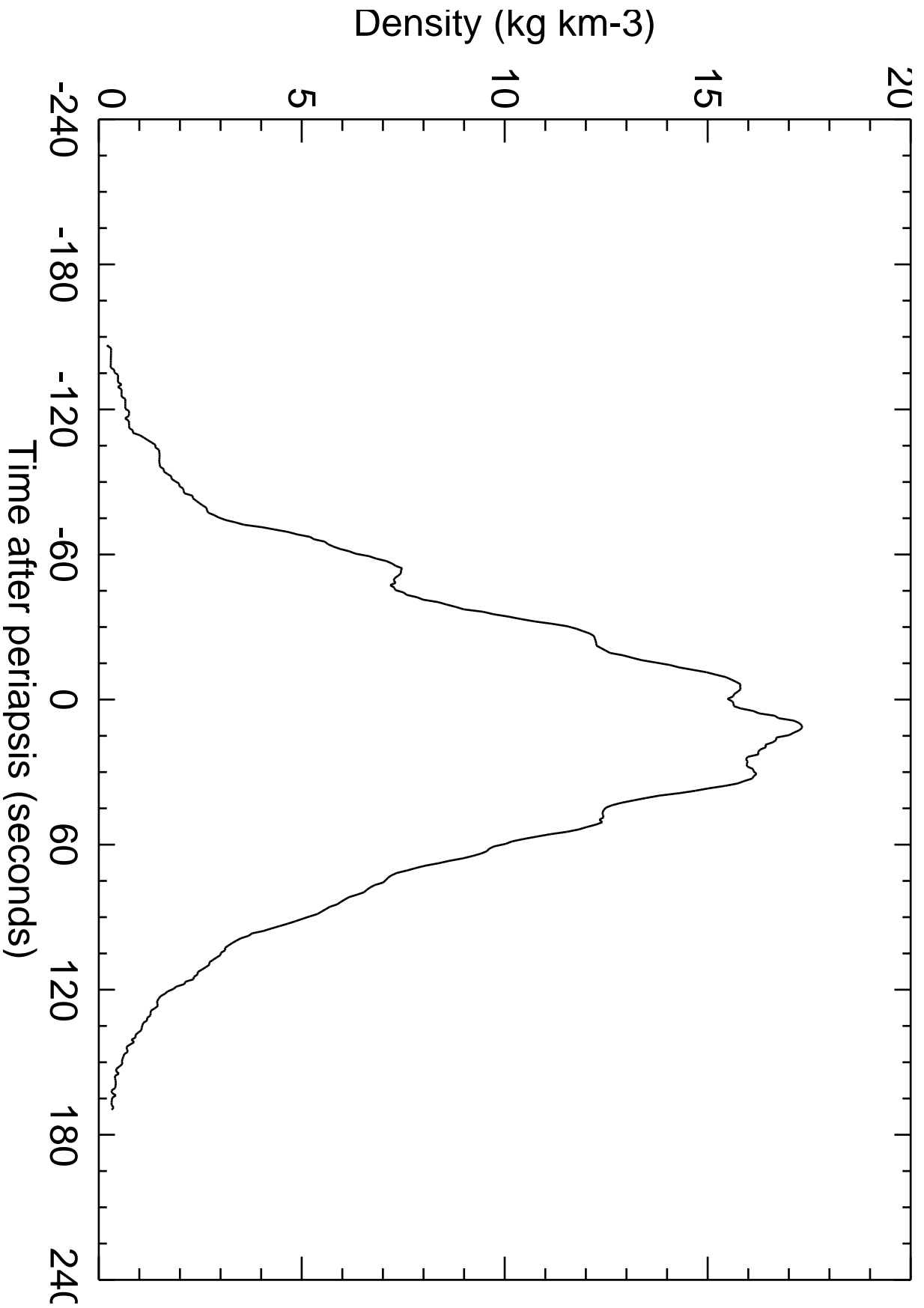
$$p(z) = -\rho(z_0) g \left(\frac{d}{dz} \ln \rho \right)_{z_0}^{-1} - \int_{z_0}^z \rho g dz \quad (2)$$

$$T(z) = \frac{p(z) \mu}{\rho(z) R_U} \quad (3)$$

Known anomalies

- Nearly instantaneous changes in acceleration
- Excessive solar panel vibration
- Other oscillatory variations

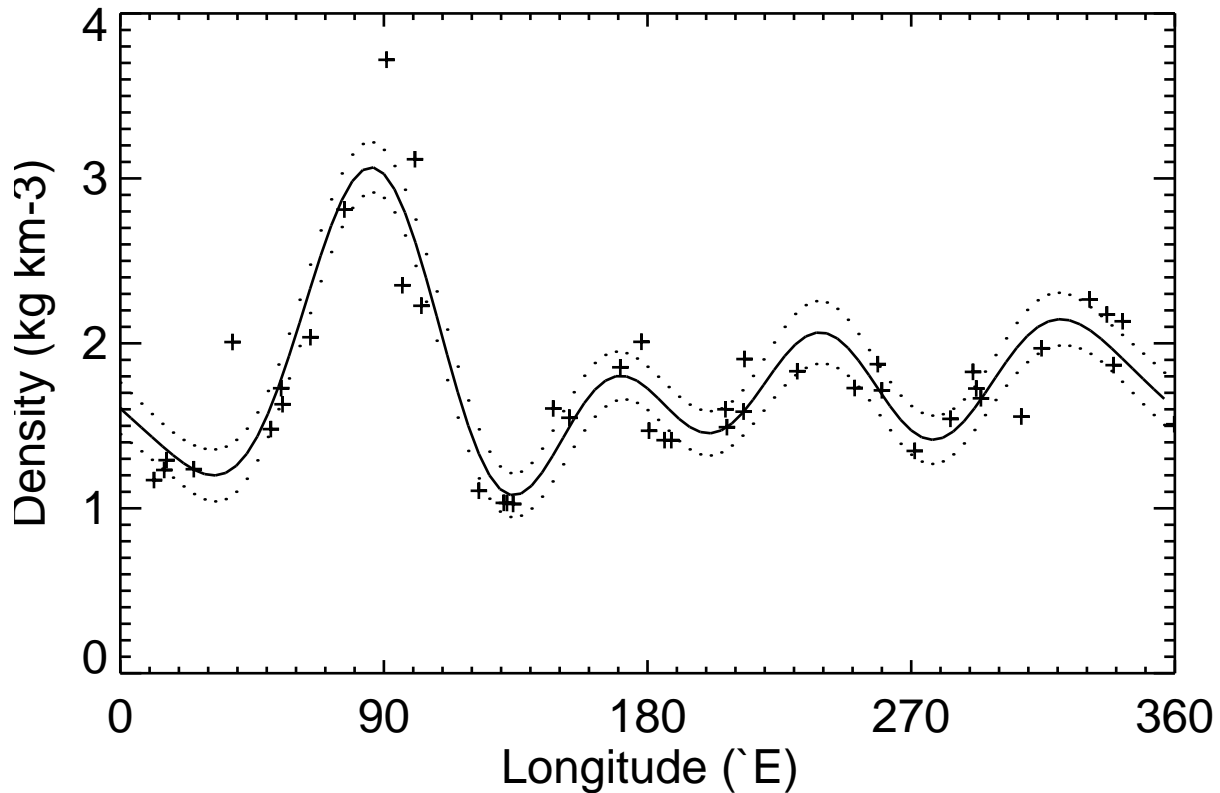




Derived p , T

- $\rho = \rho_0 \exp(-z/H)$
- $H = mg/kT$
- $p = \rho kT/m$
- Assumes hydrostatic eqm and constant temperature over a rather large region.
- Will say nothing more about p , T .

Wave-5 fit to inbound densities at 130km Phase 2, 10 to 20°N, 40 second data, daytime



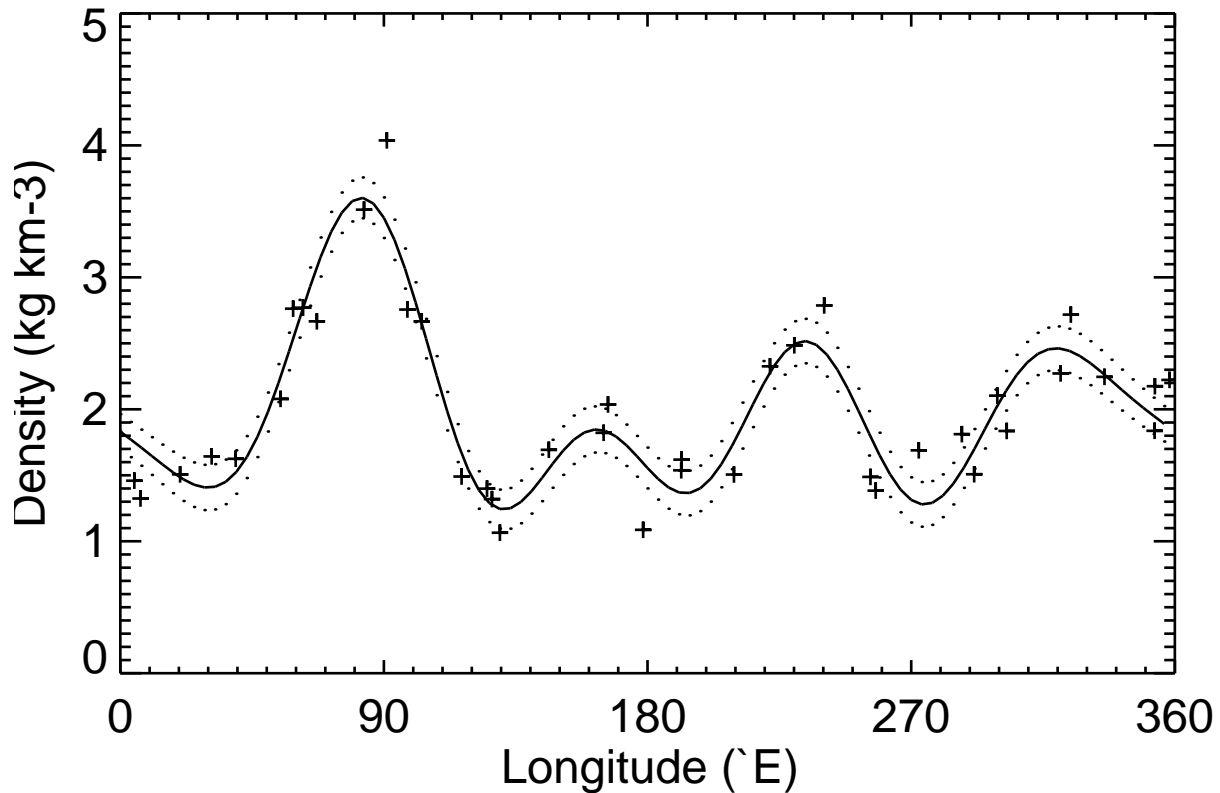
+ = MGS data, solid line = least squares wave-5 fit,
dotted lines = 1 sigma uncertainty in fit

Mean density	=	1.786 * (1 +/- 0.001)
Normalized Wave 1 amplitude	=	0.074 * (1 +/- 0.030)
Normalized Wave 2 amplitude	=	0.164 * (1 +/- 0.013)
Normalized Wave 3 amplitude	=	0.246 * (1 +/- 0.009)
Normalized Wave 4 amplitude	=	0.161 * (1 +/- 0.015)
Normalized Wave 5 amplitude	=	0.131 * (1 +/- 0.019)
Wave 1 phase	=	60.963 * (1 +/- 0.027)
Wave 2 phase	=	88.438 * (1 +/- 0.004)
Wave 3 phase	=	86.376 * (1 +/- 0.002)
Wave 4 phase	=	76.638 * (1 +/- 0.003)
Wave 5 phase	=	20.088 * (1 +/- 0.011)

Statistics neglects errors in the data

Wave phases are first maximum east of 0°E

Wave-5 fit to outbound densities at 130km Phase 2, 10 to 20°N, 40 second data, daytime



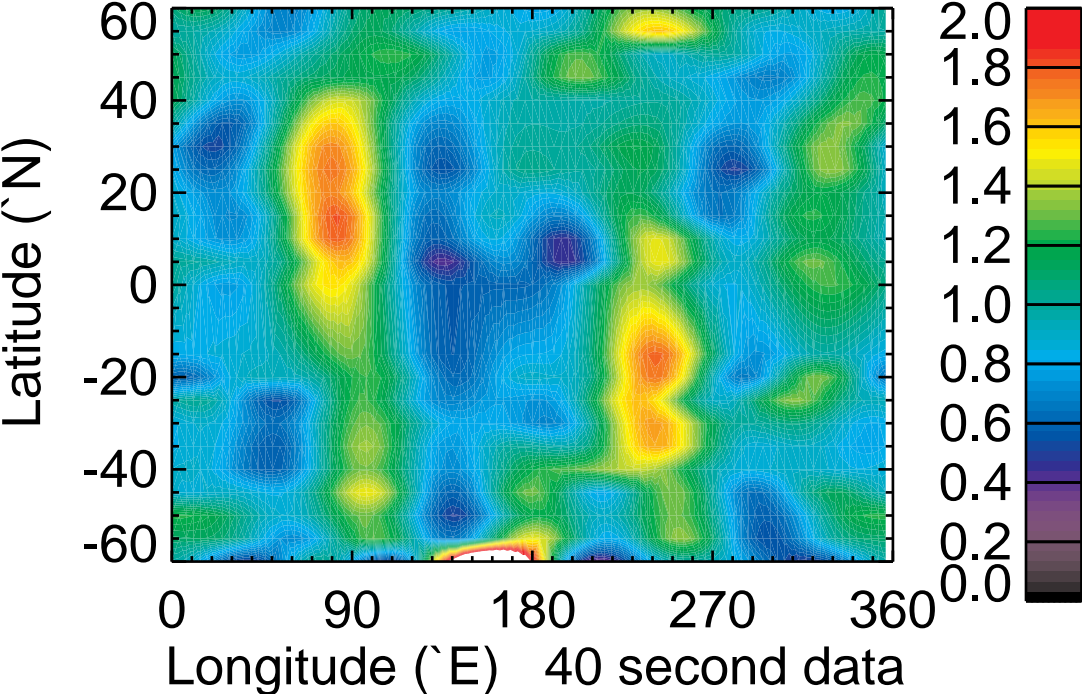
+ = MGS data, solid line = least squares wave-5 fit,
dotted lines = 1 sigma uncertainty in fit

Mean density	=	1.995 * (1 +/- 0.001)
Normalized Wave 1 amplitude	=	0.130 * (1 +/- 0.018)
Normalized Wave 2 amplitude	=	0.179 * (1 +/- 0.013)
Normalized Wave 3 amplitude	=	0.271 * (1 +/- 0.010)
Normalized Wave 4 amplitude	=	0.172 * (1 +/- 0.014)
Normalized Wave 5 amplitude	=	0.165 * (1 +/- 0.014)
Wave 1 phase	=	53.042 * (1 +/- 0.019)
Wave 2 phase	=	82.208 * (1 +/- 0.005)
Wave 3 phase	=	87.354 * (1 +/- 0.002)
Wave 4 phase	=	69.309 * (1 +/- 0.003)
Wave 5 phase	=	16.046 * (1 +/- 0.010)

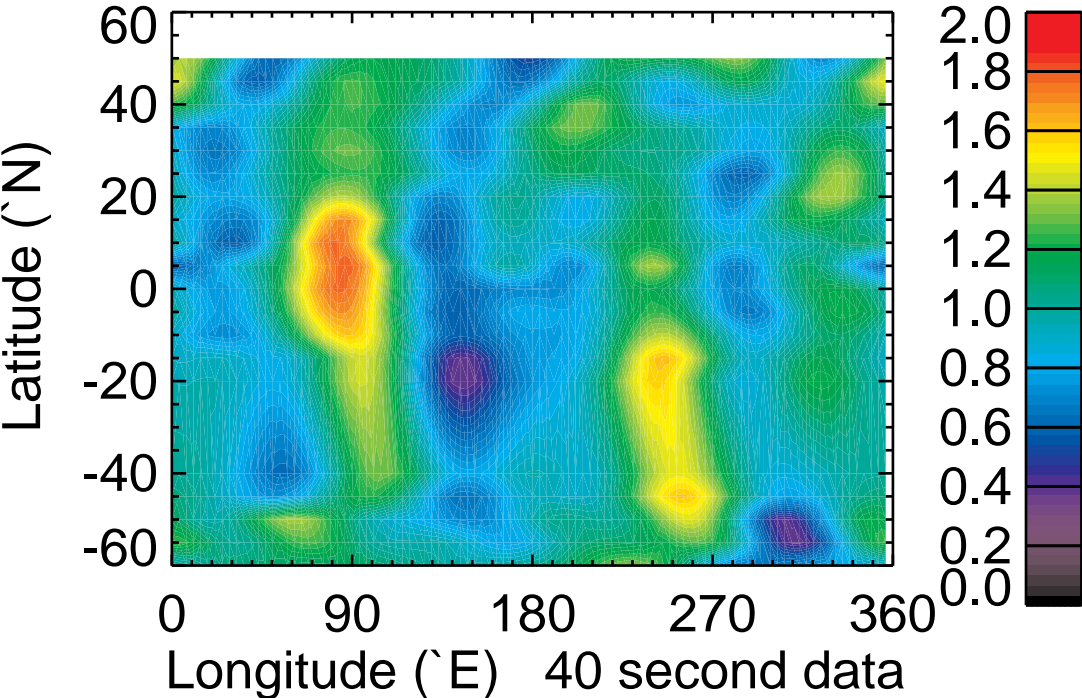
Statistics neglects errors in the data

Wave phases are first maximum east of 0°E

Fitted density ratioed to mean fitted density Phase 2, outbound, daytime, 130km



Fitted density ratioed to mean fitted density Phase 2, inbound, daytime, 130km



Possible Studies

- Obtain wave amplitudes and phases as a function of latitude, LST, Ls, and altitude.
- Compare with topography, thermal inertia, albedo, ...
- Coupled MGCM-MTGCM runs.
- RS electron density peak, RS lower atmosphere profiles, TES non-sunsynchronous lower atmosphere profiles, TES sunsynchronous lower atmosphere profiles, MHSA, mapping orbit perturbations.
- Dust storms, solar flares.
- Structure in individual profiles.
- Orbit-rotation resonance gives repeat coverage, study intrinsic atmospheric variability.

Tidal theory

- Conservation of mass, momentum, and energy plus ideal gas law.
- Some reasonable assumptions
- Some unreasonable assumptions
- Linearise
- $X = X^{\sigma, s}(\theta, z) \exp i(\sigma t + s\phi)$
- θ shape from $\Theta_n^{\sigma, s}$, z shape from $h_n^{\sigma, s}$

Detailed Plan

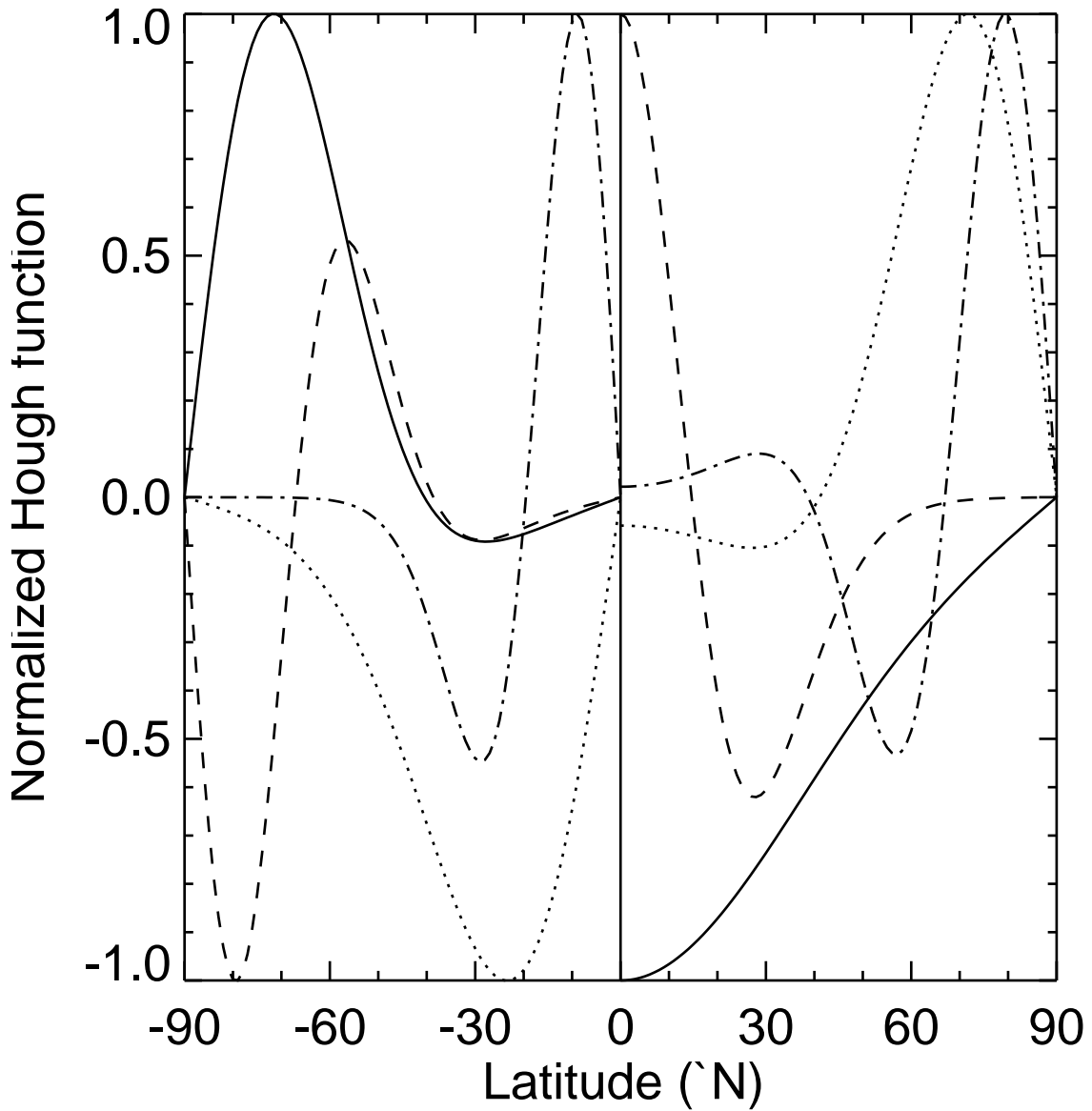
Identify tidal modes that are plausible sources of zonal structure.

1 - Test each $\Theta_n^{\sigma, s}$ for reasonable latitudinal shape and ability to propagate vertically.

2 - Compare day/night data where possible, identifying temporal frequencies.

3 - Compare vertical wavelengths in individual profiles to those of each $\Theta_n^{\sigma, s}$.

Quantify intrinsic variability at resonances.



$$\sigma = 1, s = -1$$

Asymmetric

Symmetric

$n = -1$: Solid

$n = 1$: Solid

$n = 2$: Dotted

$n = -2$: Dotted

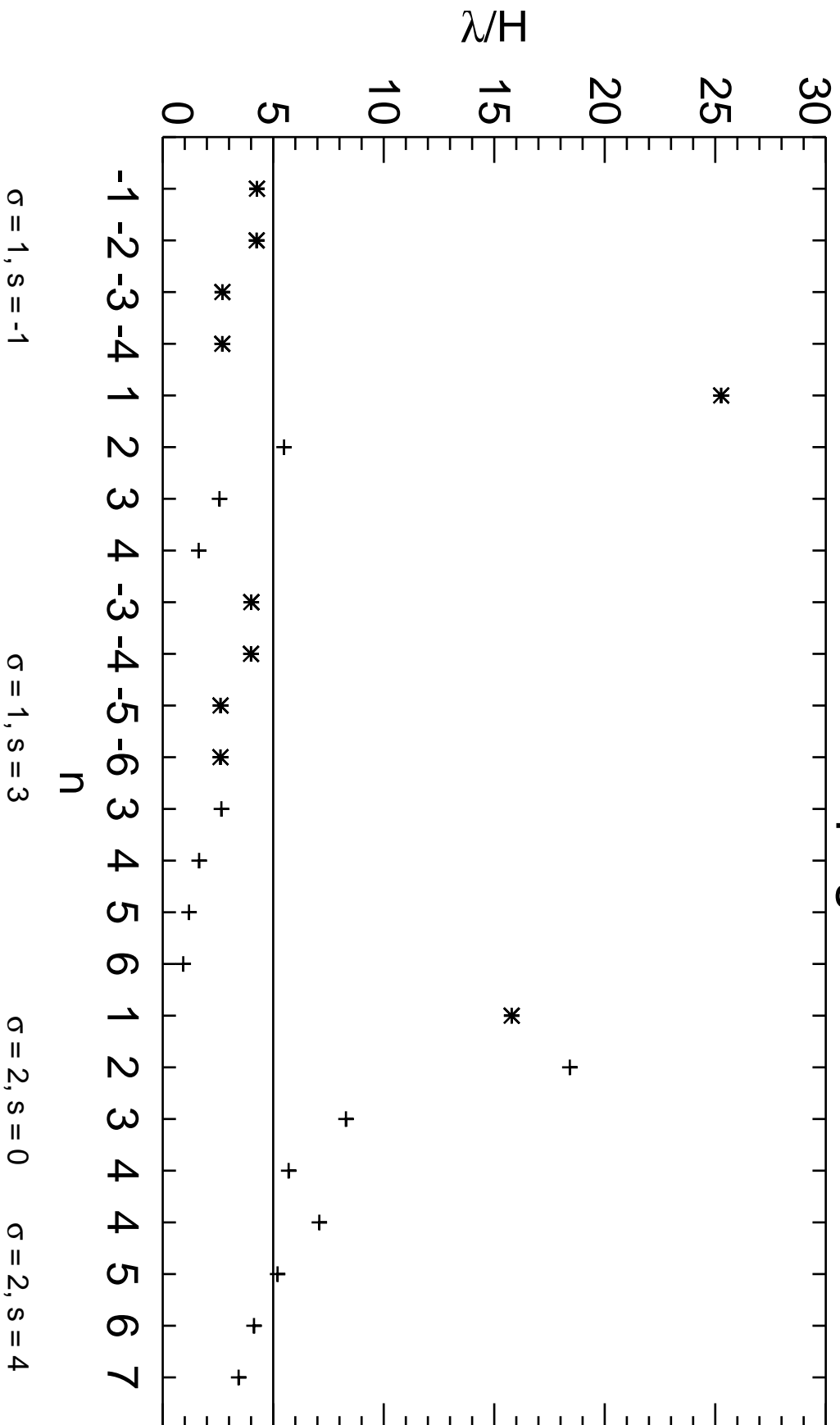
$n = -3$: Dashed

$n = 3$: Dashed

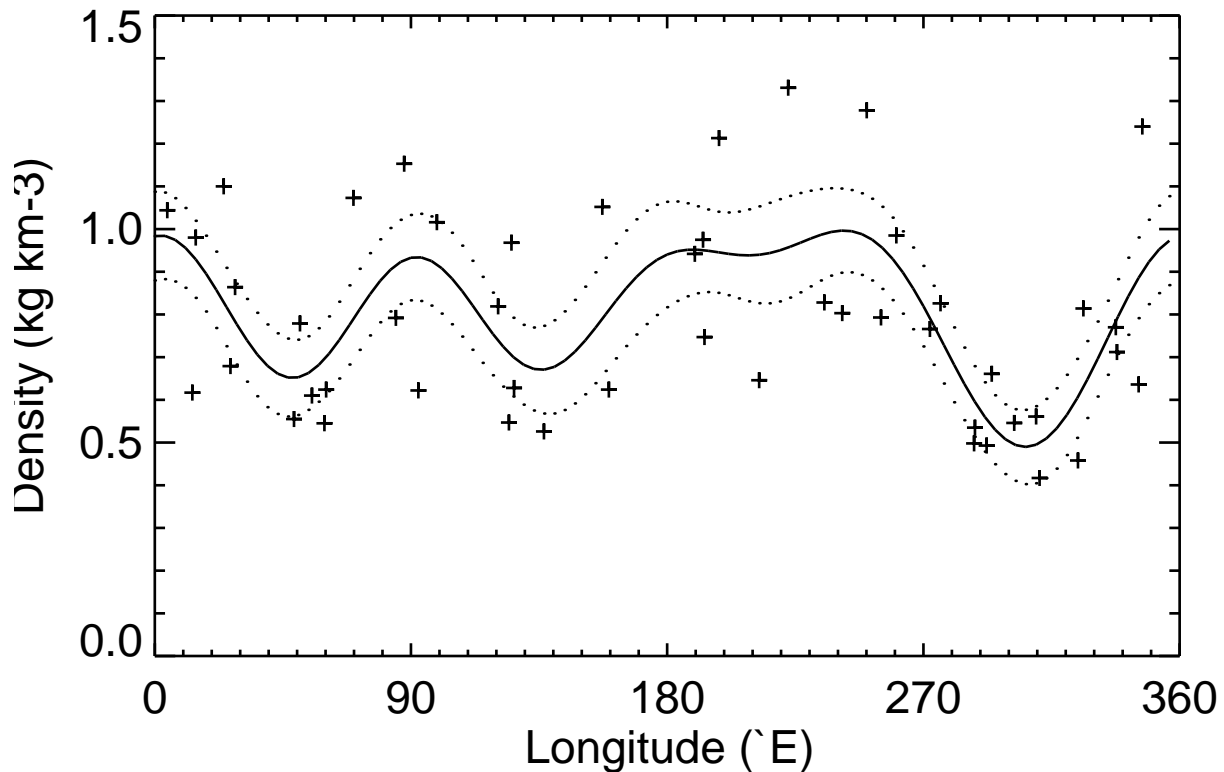
$n = 4$: Dot Dash

$n = -4$: Dot Dash

Vertical Propagation



Wave-5 fit to outbound densities at 130km
Phase 2, -70 to -50 `N, 40 second data, daytime



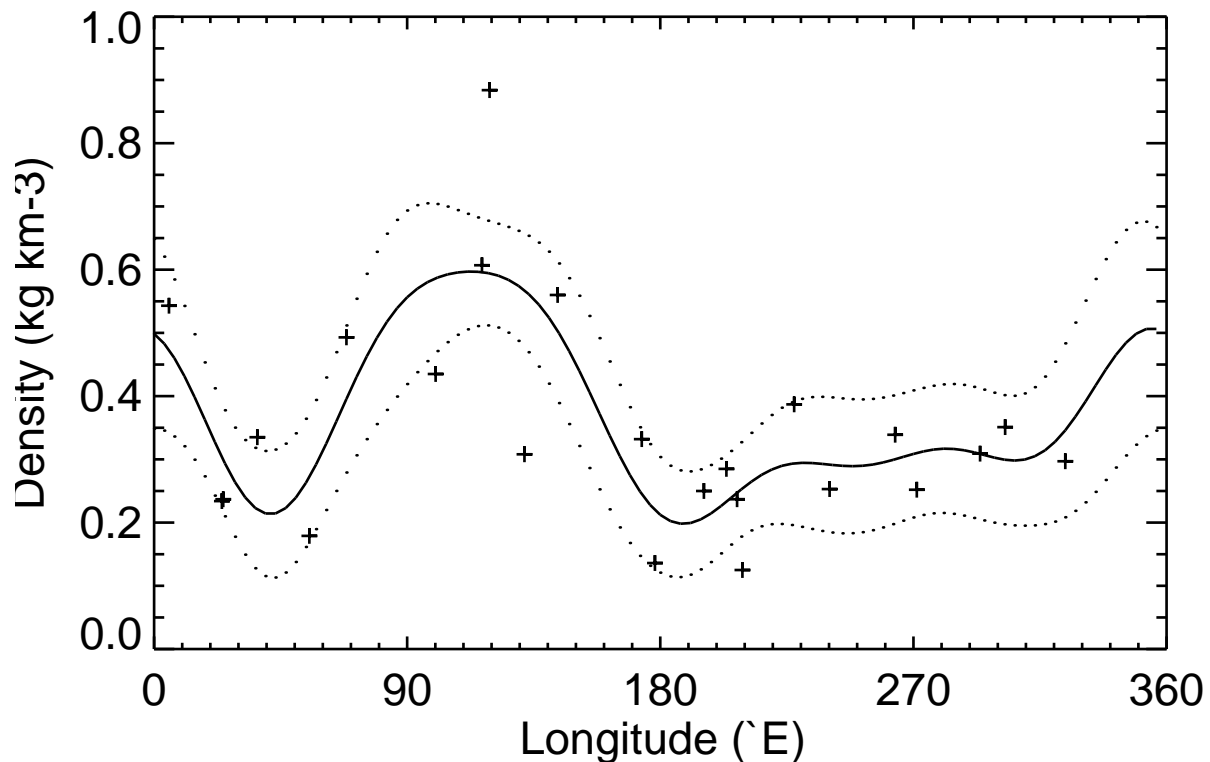
+ = MGS data, solid line = least squares wave-5 fit,
dotted lines = 1 sigma uncertainty in fit

Mean density	=	0.811 * (1 +/- 0.001)
Normalized Wave 1 amplitude	=	0.087 * (1 +/- 0.028)
Normalized Wave 2 amplitude	=	0.142 * (1 +/- 0.016)
Normalized Wave 3 amplitude	=	0.129 * (1 +/- 0.017)
Normalized Wave 4 amplitude	=	0.136 * (1 +/- 0.018)
Normalized Wave 5 amplitude	=	0.022 * (1 +/- 0.089)
Wave 1 phase	=	179.533 * (1 +/- 0.008)
Wave 2 phase	=	34.082 * (1 +/- 0.014)
Wave 3 phase	=	112.600 * (1 +/- 0.003)
Wave 4 phase	=	87.092 * (1 +/- 0.003)
Wave 5 phase	=	21.518 * (1 +/- 0.074)

Statistics neglects errors in the data

Wave phases are first maximum east of 0`E

Wave-5 fit to inbound densities at 130km
Phase 2, -70 to -50 °N, 40 second data, nighttime

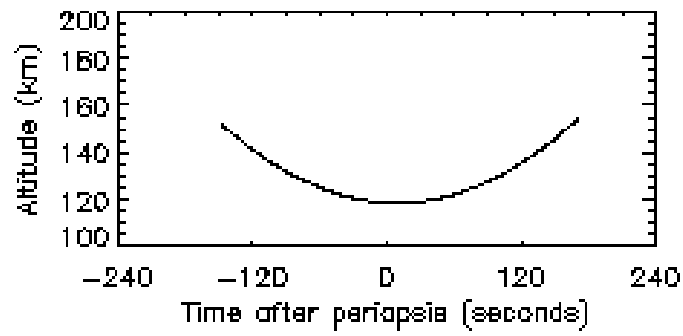


+ = MGS data, solid line = least squares wave-5 fit,
dotted lines = 1 sigma uncertainty in fit

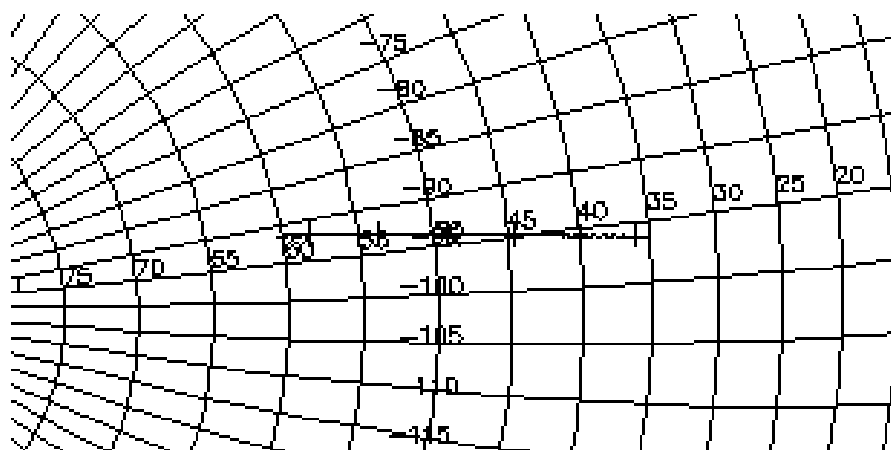
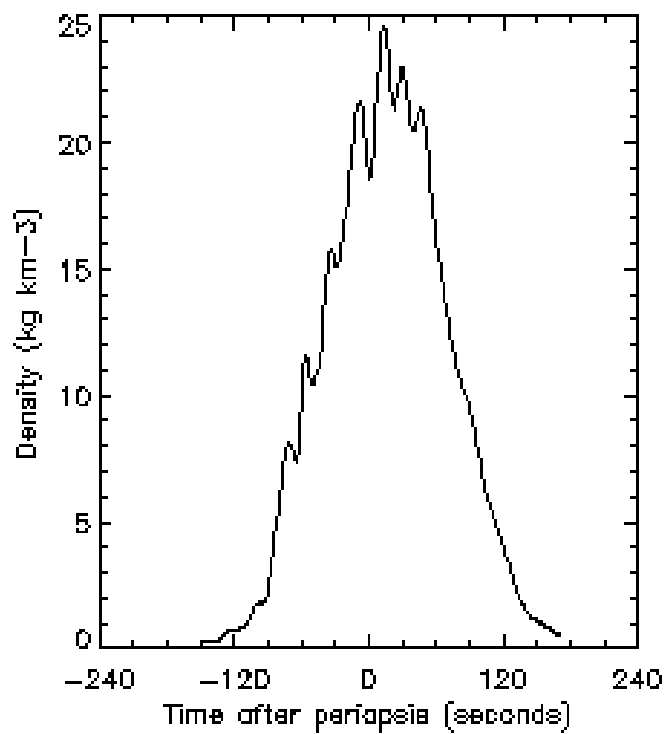
Mean density	=	0.369 * (1 +/- 0.003)
Normalized Wave 1 amplitude	=	0.253 * (1 +/- 0.024)
Normalized Wave 2 amplitude	=	0.262 * (1 +/- 0.021)
Normalized Wave 3 amplitude	=	0.265 * (1 +/- 0.022)
Normalized Wave 4 amplitude	=	0.070 * (1 +/- 0.087)
Normalized Wave 5 amplitude	=	0.095 * (1 +/- 0.059)
Wave 1 phase	=	80.593 * (1 +/- 0.021)
Wave 2 phase	=	123.210 * (1 +/- 0.006)
Wave 3 phase	=	113.963 * (1 +/- 0.004)
Wave 4 phase	=	87.416 * (1 +/- 0.014)
Wave 5 phase	=	0.484 * (1 +/- 1.562)

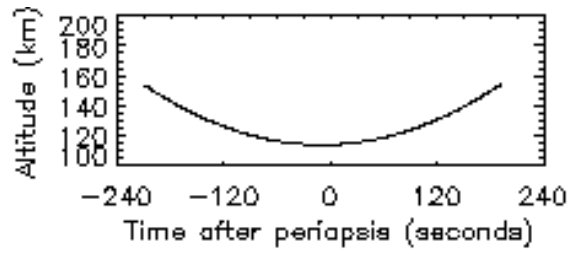
Statistics neglects errors in the data

Wave phases are first maximum east of 0°E

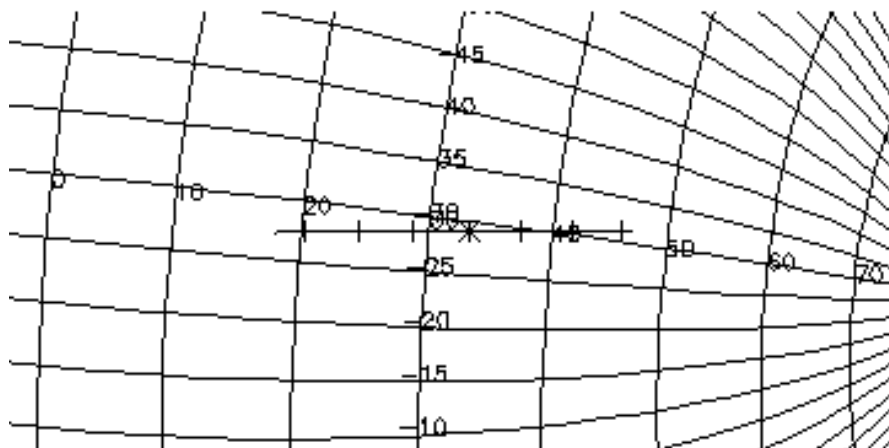
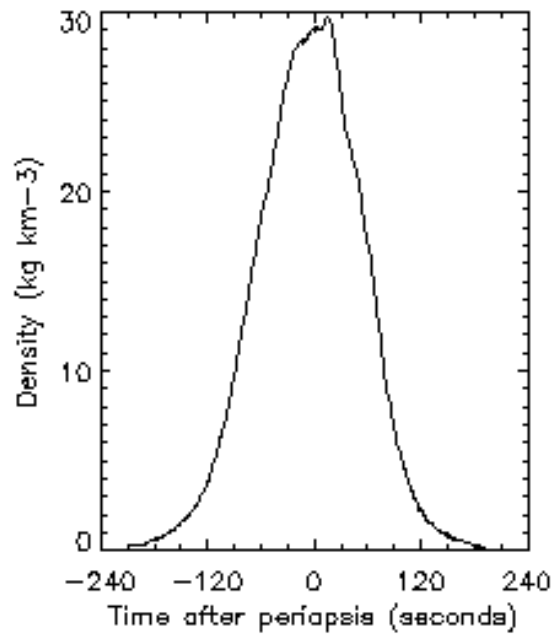


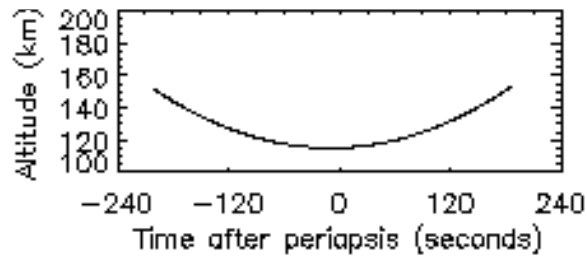
P122, wiggles



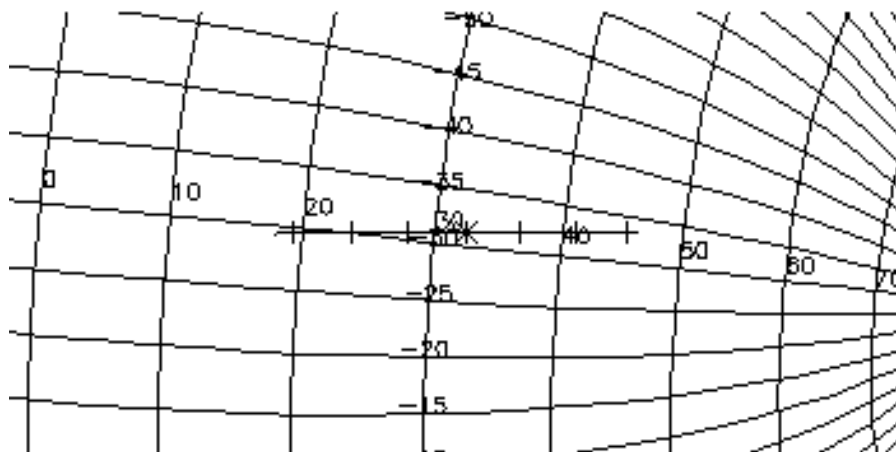
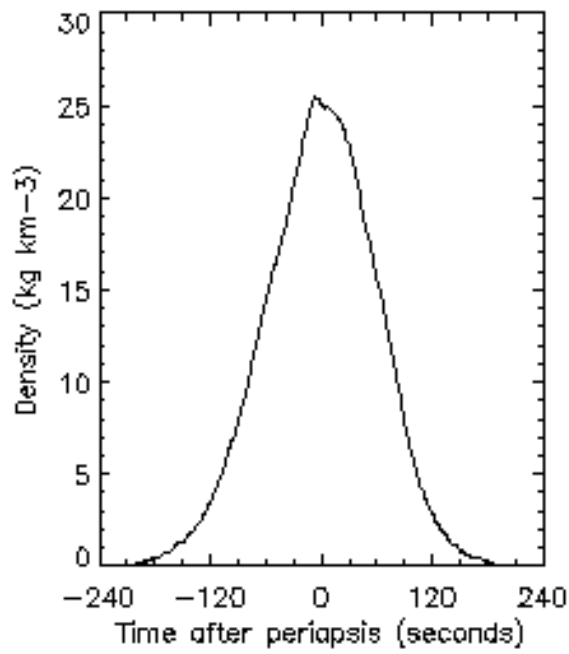


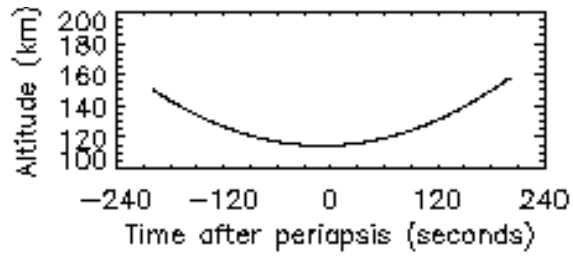
P714, 4:1





P718, 4:1





P722, 4:1

